

# *BASIC JAVA SYNTAX (1)*

(and some algorithms as well)

**Prof. Chris Jermaine**  
**cmj4@cs.rice.edu**

# Basic Java Syntax and Control Flow

- May be a bit boring
- Will cover basic control flow and syntax in Java
  - For
  - While
  - Do-While
  - If
  - Method calls
  - Array accesses
  - Comments
  - Switch
  - more...
- Java borrows its basic syntax, control flow from C

# Illustrative Example

- Best illustrated with an example: edit distance
  - Studied this in Luay's class, right?
  - Given two strings  $a$ ,  $b$
  - The “edit distance” is the number of “edit ops” needed to transform  $a$  into  $b$
  - An “edit op” is “insert”, “delete”, “xform”

# Illustrative Example

- Best illustrated with an example: edit distance
  - Studied this in Luay's class
  - Given two strings  $a$ ,  $b$
  - The “edit distance” is the number of “edit ops” needed to transform  $a$  into  $b$
  - An “edit op” is “insert”, “delete”, “xform”
- Example:  $a = 01101100$ ,  $b = 110001000$ 
  - xform:  $a = \mathbf{1}1101100$ ,  $b = 110001000$
  - xform:  $a = 11\mathbf{0}01100$ ,  $b = 110001000$
  - xform:  $a = 1100\mathbf{0}100$ ,  $b = 110001000$
  - add:  $a = 11000100\mathbf{0}$ ,  $b = 110001000$
  - So edit distance is four

# Edit Distance

- Classic algorithm (SW) based on following observations:

# Edit Distance

- Classic algorithm (SW) based on following observations:

—  $ED(\text{string1} + c, \text{string2} + c) = ED(\text{string1}, \text{string2})$

Ex:  $ED(\text{"Christoph"}, \text{"Chrisph"}) = ED(\text{"Christop"}, \text{"Chrisp"})$ ... Why?

# Edit Distance

- Classic algorithm (SW) based on following observations:
  - $ED(\text{string1} + c, \text{string2} + c) = ED(\text{string1}, \text{string2})$
  - $ED(\text{string1} + c, \text{string2}) \leq ED(\text{string1}, \text{string2}) + 1$   
Ex:  $ED(\text{"Chrisp"}, \text{"Chris"}) \leq ED(\text{"Chris"}, \text{"Chris"}) + 1$  [can always delete!]

# Edit Distance

- Classic algorithm (SW) based on following observations:
  - $ED(\text{string1} + c, \text{string2} + c) = ED(\text{string1}, \text{string2})$
  - $ED(\text{string1} + c, \text{string2}) \leq ED(\text{string1}, \text{string2}) + 1$  [can always delete!]
  - $ED(\text{string1}, \text{string2} + c) \leq ED(\text{string1}, \text{string2}) + 1$  [can always add!]



# Edit Distance

- Classic algorithm (SW) based on following observations:
    - $ED(\text{string1} + c, \text{string2} + c) = ED(\text{string1}, \text{string2})$
    - $ED(\text{string1} + c, \text{string2}) \leq ED(\text{string1}, \text{string2}) + 1$  [can always delete!]
    - $ED(\text{string1}, \text{string2} + c) \leq ED(\text{string1}, \text{string2}) + 1$  [can always add!]
    - $ED(\text{string1} + c1, \text{string2} + c2) \leq ED(\text{string1}, \text{string2}) + 1$  [can always xform!]
- Ex:  $ED(\text{"Chrisa"}, \text{"Chrisb"}) \leq ED(\text{"Chris"}, \text{"Chris"}) + 1$

# Edit Distance

- Classic algorithm (SW) based on following observation:
  - $ED(\text{string1} + c, \text{string2} + c) = ED(\text{string1}, \text{string2})$
  - $ED(\text{string1} + c, \text{string2}) \leq ED(\text{string1}, \text{string2}) + 1$  [can always delete!]
  - $ED(\text{string1}, \text{string2} + c) \leq ED(\text{string1}, \text{string2}) + 1$  [can always add!]
  - $ED(\text{string1} + c1, \text{string2} + c2) \leq ED(\text{string1}, \text{string2}) + 1$  [can always xform!]
- How to actually implement this?
- Let  $A[i, j]$  be the fewest number of ops to obtain first  $j$  chars of  $b$  from the first  $i$  chars of  $a$

# Edit Distance

- Classic algorithm (SW) based on following observation:
  - $ED(\text{string1} + c, \text{string2} + c) = ED(\text{string1}, \text{string2})$
  - $ED(\text{string1} + c, \text{string2}) \leq ED(\text{string1}, \text{string2}) + 1$  [can always delete!]
  - $ED(\text{string1}, \text{string2} + c) \leq ED(\text{string1}, \text{string2}) + 1$  [can always add!]
  - $ED(\text{string1} + c1, \text{string2} + c2) \leq ED(\text{string1}, \text{string2}) + 1$  [can always xform!]
- So, let  $A[i, j]$  be the fewest number of ops to obtain first  $j$  chars of  $b$  from the first  $i$  chars of  $a$
- Then  $A[i, j]$  is the minimum of:
  - $A[i - 1, j - 1]$  (only available if  $A[i] = A[j]$ )
  - $A[i - 1, j] + 1$
  - $A[i, j - 1] + 1$
  - $A[i - 1, j - 1] + 1$

# To Code This Up in Java

- Assume a method

```
/**
 * This method executes the Smith Waterman algorithm
 * to find the edit distance between a and b
 */
public int editDistance (String a, String b) {

    // we first need our A array
    int[][] A = new int[a.length () + 1][b.length () + 1];
```

- What's up with this line?

- *int[][]* A declares a “reference” (like an address)
- But initially that address is empty
- *new* asks Java to allocate memory and return the resulting address
- If you don't set A to something after decl, program will crash when you use it!

# To Code This Up in Java

- Assume a method

```
/**
 * This method executes the Smith Waterman algorithm
 * to find the edit distance between a and b
 */
public int editDistance (String a, String b) {

    // we first need our A array
    int[][] A = new int[a.length () + 1][b.length () + 1];
```

- How'd I learn about the “length” method?

- Went to Google and typed “String java”
- 2nd result was “String (Java Platform SE 7)” at oracle.com
- Get used to having one or two browser windows open when coding!

## Now Need To Initialize

```
public int editDistance (String a, String b) {  
  
    // we first need our A array  
    int[][] A = new int[a.length () + 1][b.length () + 1];  
  
    // set A[i][0] to i, since to transform any string to ""  
    // you just delete all of the characters  
    for (int i = 0; i < a.length () + 1; i++) {  
        A[i][0] = i;  
    }  
}
```

- Things to notice:

- Curly brackets `{` and `}` group statements together into a block
- *for* has three sub-statements
- first is an initialization statement, run once
- second is a check run before each iteration (loop ends if evals to **false**)
- third is run after each iteration

## Now Need To Initialize

```
public int editDistance (String a, String b) {  
  
    // we first need our A array  
    int[][] A = new int[a.length () + 1][b.length () + 1];  
  
    // set A[i][0] to i, since to transform any string to ""  
    // you just delete all of the characters  
    for (int i = 0; i < a.length () + 1; i++) {  
        A[i][0] = i;  
    }  
}
```

- Also note:

- I didn't need a *new* with *i* because it's of a built-in type (more in a lecture or two)
- This, *i* is an actual variable as opposed to a reference
- Array indices start at zero

## Now Need To Initialize

```
public int editDistance (String a, String b) {  
  
    // we first need our A array  
    int[][] A = new int[a.length () + 1][b.length () + 1];  
  
    // set A[i][0] to i, since to transform any string to ""  
    // you just delete all of the characters  
    for (int i = 0; i < a.length () + 1; i++) {  
        A[i][0] = i;  
    }  
    // set A[0][j] to j, since to transform "" to any string,  
    // you just insert all of the characters  
    for (int j = 0; j < b.length () + 1; j++) {  
        A[0][j] = j;  
    }  
}
```



## And Do the Actual Calculation

```
public int editDistance (String a, String b) {
    ...
    // now do the Smith-Waterman calculation
    for (int i = 1; i < a.length () + 1; i++) {
        for (int j = 1; j < b.length () + 1; j++) {
            if (a.charAt(i - 1) == b.charAt(j - 1)) {
                // if the two chars are the same, no edit op
                A[i][j] = A[i - 1][j - 1];
            } else {
                int best = A[i - 1][j]; // cost to delete
                if (A[i][j - 1] < best) // cost to insert
                    best = A[i][j - 1];
                if (A[i - 1][j - 1] < best) // cost xform
                    best = A[i - 1][j - 1];
                A[i][j] = best + 1; // record cost of best op
            }
        }
    }
}
```

# Things To Notice

```
public int editDistance (String a, String b) {  
    ...  
    // now do the Smith-Waterman calculation  
    for (int i = 1; i < a.length () + 1; i++) {  
        for (int j = 1; j < b.length () + 1; j++) {  
            if (a.charAt(i - 1) == b.charAt(j - 1)) {  
                // if the two chars are the same, no edit op  
                A[i][j] = A[i - 1][j - 1];  
            } else {  
                int best = A[i - 1][j]; // cost to delete  
                if (A[i][j - 1] < best) // cost to insert  
                    best = A[i][j - 1];  
                if (A[i - 1][j - 1] < best) // cost to xform  
                    best = A[i - 1][j - 1];  
                A[i][j] = best + 1; // record cost of best op  
            }  
        }  
    }  
}
```

*if* accepts any statement that can eval to true/false  
== checks for equality (be careful with =)

# Things To Notice

```
public int editDistance (String a, String b) {  
    ...  
    // now do the Smith-Waterman calculation  
    for (int i = 1; i < a.length () + 1; i++) {  
        for (int j = 1; j < b.length () + 1; j++) {  
            if (a.charAt(i - 1) == b.charAt(j - 1)) {  
                // if the two chars are the same, no edit op  
                A[i][j] = A[i - 1][j - 1];  
            } else {  
                int best = A[i - 1][j]; // cost to delete  
                if (A[i][j - 1] < best) // cost to insert  
                    best = A[i][j - 1];  
                if (A[i - 1][j - 1] < best) // cost to xform  
                    best = A[i - 1][j - 1];  
                A[i][j] = best + 1; // record cost of best op  
            }  
        }  
    }  
}
```

Can declare a variable/reference anywhere...  
must declare it before using it

# Things To Notice

```
public int editDistance (String a, String b) {
    ...
    // now do the Smith-Waterman calculation
    for (int i = 1; i < a.length () + 1; i++) {
        for (int j = 1; j < b.length () + 1; j++) {
            if (a.charAt(i - 1) == b.charAt(j - 1)) {
                // if the two chars are the same, no edit op
                A[i][j] = A[i - 1][j - 1];
            } else {
                int best = A[i - 1][j]; // cost to delete
                if (A[i][j - 1] < best) // cost to insert
                    best = A[i][j - 1];
                if (A[i - 1][j - 1] < best) // cost to xform
                    best = A[i - 1][j - 1];
                A[i][j] = best + 1; // record cost of best op
            }
        }
    }
}
```

If block not explicitly specified using {}, block size is one stmt (careful; many would never do this)

# Returning a Value

```
public int editDistance (String a, String b) {  
    ...  
    // now do the Smith-Waterman calculation  
    ...  
    // and the final return value is in the bottom right  
    // corner of A, since this is the cost to xfrom ALL of  
    // a into ALL of b  
    return A[a.length ()][b.length ()];  
}
```

- Every non-null method needs to return a value!

# A Note On Comments

- Notice how I've commented everything
- Get used to documenting *as you code*
- The best programmers:
  - Think carefully about what a block of code needs to do
  - They describe this in English
  - Then they write the code
  - Get in the habit of doing it this way!